## Directorate of Distance Education (DDE)

KUPPAM - 517 426:: A.P.
Course: I year MSC (Maths)
Paper - I ALGEBRA
Question Paper for Assignment
Answer any THREE of the following FIVE Questions.

$$
3 \times 10=30
$$

1. State and prove the Fundamental Theorem of Galosis Theory.
2. State and prove Gauses Lemma.
3. State and prove Second Sylow Theorem.
4. Show that every permutation is the product of its cyclic.
5. Prove the "L" satisfies the descending chain condition if and only if every ideal of " $L$ " is principal.

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Course: I year MSC (Maths)
Paper - II ANALYSIS
Question Paper for Assignment
Answer any THREE of the following FIVE Questions.

1. Show that every infinite subset of a countable set $\mathbf{A}$ is countable .
2. Show that every K-Cell is compact.
3. Let $\mathbf{f}$ be a monotonic on (a,b). Then show that the set of points of $(a, b)$ at which $\mathbf{f}$ is discontinuous is at most countable .
4. State and prove the fundamental theorem of Calculus.
5. If $f$ is measurable, them prove that $(f)$ is measurable.

# Paper - III DIFFERENTIAL EQUATIONS AND NUMERICAL METHODS Question Paper for Assignment 

Answer any THREE of the following FIVE Questions.

1. Using Runge- Kutta method of fourth orders solve $\frac{d y}{d x}=\frac{y^{2}-y^{2}}{y^{2}+y^{2}}$ with $y(0)=1$ at $x$ $=0,2,0,4$.
2. Solve $\frac{d y}{d x}=(4 x+y+1) 2$.
3. Solve $\frac{d y}{d x}-x \quad \tan (y-x)=1$
4. Find a root of the Equation $\boldsymbol{x}^{\mathbf{2}} \mathbf{- 4} \mathbf{x}+\mathbf{9}=\mathbf{0}$ using the bisection method in four stages.
5. Use trapezoidal rule to evaluate $\int \mathbf{0} \boldsymbol{x}^{\mathbf{3}} \mathbf{d} \boldsymbol{x}$ considering five sub intervals.

# Directorate of Distance Education (DDE) <br> KUPPAM - 517 426:: A.P. <br> Course: I year MSC (Maths) <br> Paper - IV OPERATIONS RESEARCH <br> Question Paper for Assignment 

Answer any THREE of the following FIVE Questions.

1. Explain two phase method for solving Linear Programming Problem.
2. Explain Vogel's approximation method to find the basic feasible solution to transportation problem.
3. Define a queue give a brief description of the types of queue descriptive commonly found.
4. Define Primal Problem and Dual Problem and Explain all integer cutting plane algorithm.
5. What assumptions are made in the theory of games?

# Directorate of Distance Education (DDE) <br> KUPPAM - 517 426:: A.P. <br> Course: I year MSC (Maths) <br> Paper - V <br> COMPLEX ANALYSIS AND SPECIAL FUNCTIONS <br> Question Paper for Assignment 

Answer any THREE of the following FIVE Questions.
$3 \times 10=30$

1. State and prove Cauchy's residue theorem and
2. Show that the mobius transformation is invariant and
3. Find the bilinear transformation which maps the points a, I, O, in the $Z$ plane -1,-I, 1 in W-plane.
4. Find the Poles and Residues at each Pole $\frac{\mathrm{Zez}}{(\mathrm{Z}-1)^{3}}$
5. Find the image of the infinite $\operatorname{strip} \mathbf{O}<\mathbf{y}<\frac{1}{2}$ under the transformation $\mathbf{W}=\frac{\mathbf{I}}{\mathbf{z}}$.
