

UNIVERSITY

Directorate Of Distance Education (DDE) KUPPAM-517426 Assignment for II Year M.Sc Mathematics

PAPER-I: TOPOLOGY AND FUNCTIONAL ANALYSIS

Answer any three questions

3x10=30

- 1). Prove that any closed subspace of a compact space is compact.
- 2). State and prove Urysohn's lemma and Teiz Extension theorem.
- 3). a) Prove that the product of any non-empty class of connected space is connected.
 - b) Prove that any continuous image of a connected space is connected.
- 4). State and prove Open Mapping theorem.
- 5). a) If N_1 , N_2 are normal operators on H with the properties that either computes with the adjoint of others. Then show that
 - i) N_1+N_2 , ii) N_1N_2 are normal.
 - b) An operator on N in H is normal iff $||N^*x|| = ||Nx|| \forall x \in H$.

Paper – II Probability and statistics

- a) State and prove Bayes theorem
 b) Box I contains 2000 Companies of which 5% are defective. Box II contains 500
 Components of which 40% are defective two other boxes i.e., Box III & IV contains 1000
 components one of the above boxes and remove from it at random at single component.
 What is the probability that this component is defective?
- 2. a) State and prove chebyscheris theorem
 b) if x is a Poisson variate such that p(x=0)=p(x=2)+3p(x=4) find (i) Means of x (ii) P(X≤Z)
- 3. write in brief different types of samplings
- 4. a) if a binomial distribution to the following data and test for goodness of fit

Х	0	1	2	3	4
F	28	62	46	10	4

b) Two independent samples of 8 and 7 items respectively had the following

Sample I	9	11	13	11	16	10	12	14
Sample II	11	13	11	14	10	8	10	-

5. a) Explain the method of fitting a second degree parabola by using the principle of least squares

b) fit	а	straight	to	the	foll	owing	data
U) III	а	suargin	ω	unc	1011	owing	uata

Х	1	2	3	4	6	8
F	2.4	3	3.6	4	5	6

Paper – III Discrete Mathematics

- 1. Explain "Connectives" with suitable examples and truth tables
- 2. a) If f: $X \rightarrow Y$ and g: $Y \rightarrow Z$ and both f and g are on to show that gof is also onto. Is gof one to one if both g and f are to one? Justify
 - b) At $f(x) = X^2 3n + 2$ final (i) $f(X^2)$ (ii) f(y-x) (iii) f(x+3)
- 3. a) state and prove binomial theorem
- b) Obtain coefficient of X^5 in (a+bx+cx²)
- 4. a) prove that the isomorphism of a simple graph is an equivalence relation
 - b) Explain isomorphism of the graphs with suitable example
- 5. Prove that a connected graph is Euleriah if and if the degree of each of its vertices is even

PAPER-IV: COMPUTER ALGORITHM AND PROBLEM SOLVING

Answer any three questions

- 3x10=30
- 1. (a) Explain algorithms representations through flow charts
 - (b) What is the algorithm for finding cross sales and discount.
- 2. What is the Concept of Flow charts and their algorithms for manipulation of arrays to transfer contents of one memory array to another
- 3. Describe drafting entries in the decision tables for the same.
- 4. Explain about the concept of variables and loop.
- 5. Explain Subroutine and structured problem solving.

Answer any three questions

- 1). Explain operators in 'C' programming.
- 2). What is an array? Explain two dimensional and multi dimensional arrays.
- 3). What is string? Explain different string functions with an example.
- 4). What is a stack? Write the applications of a stack.
- 5). What is a list? Explain various operations on a list.